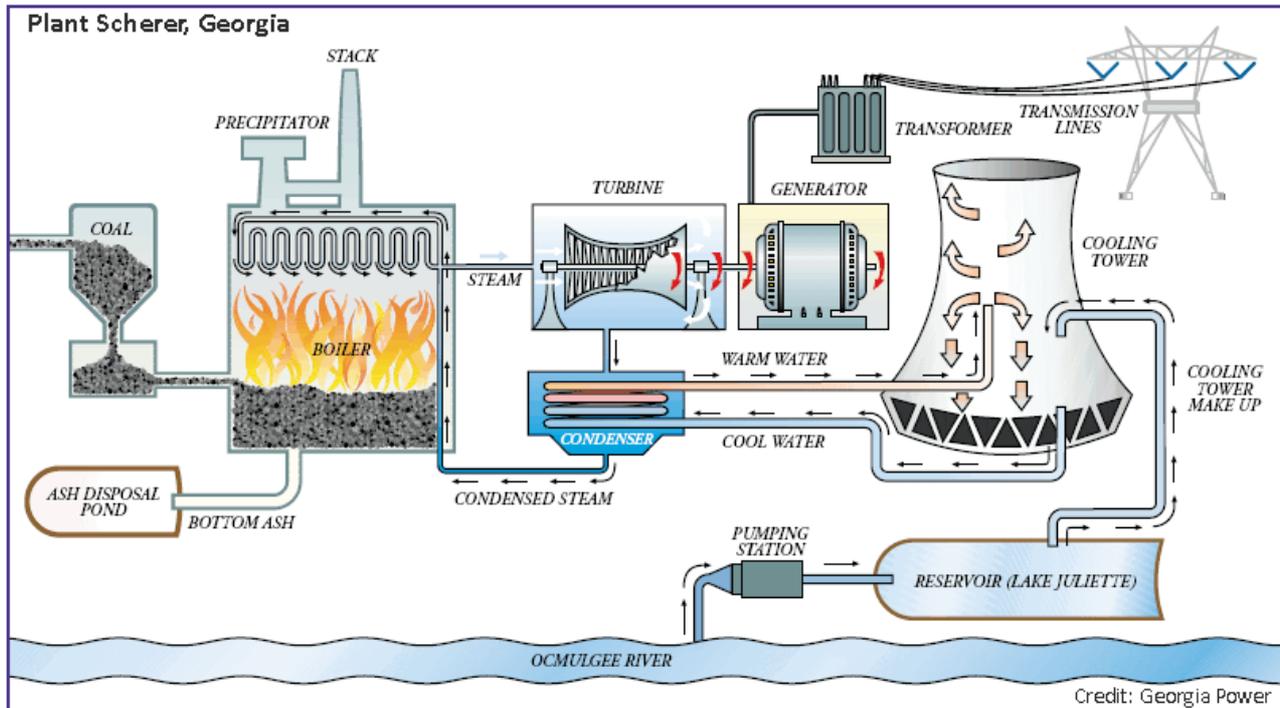


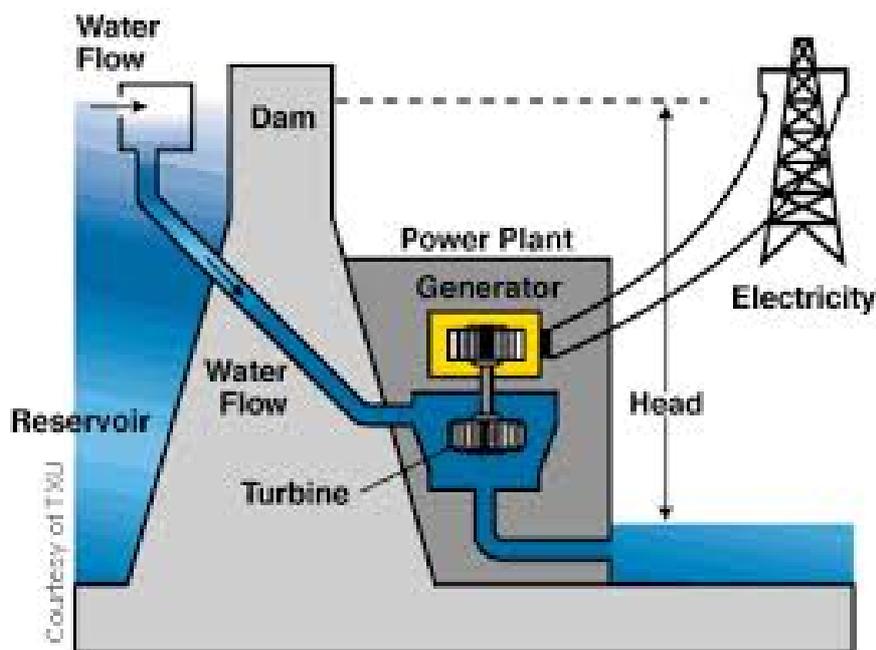
## L16 - Motor Effect, Generator Effect, and Mass Spectrometer

Q1: How do we generate electricity?

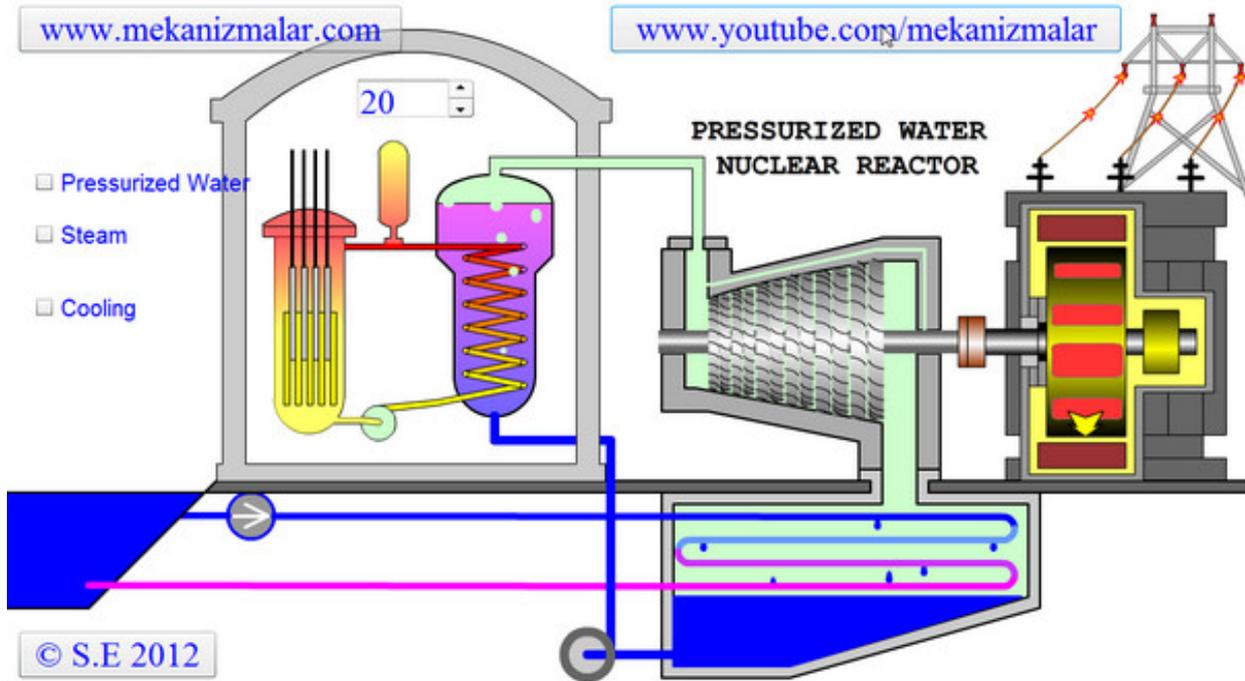
### Alberta - Coal Power Plant



### British Columbia - Hydroelectric Power Plant (i.e. "Dam")



**Springfield - Nuclear Power Plant**

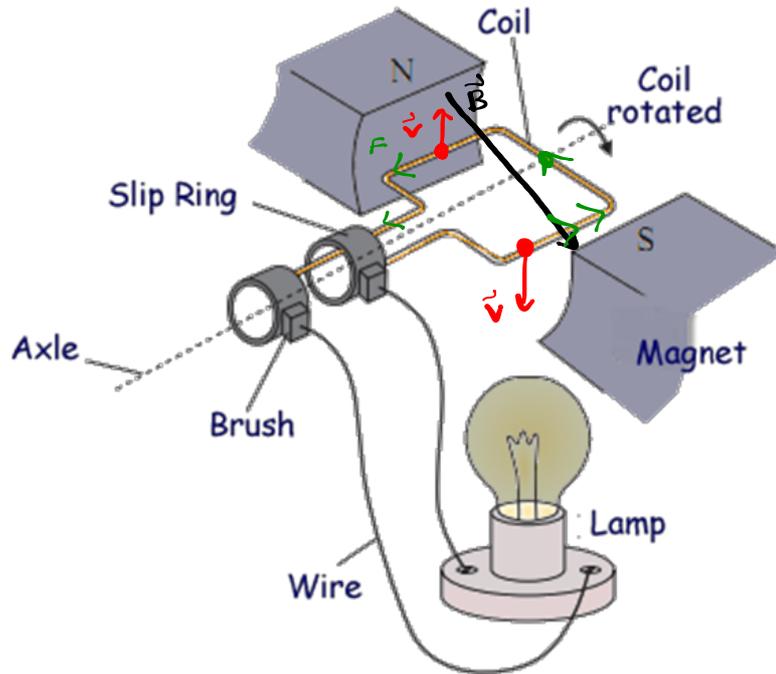


**Camping - Hand-Crank Flashlight**

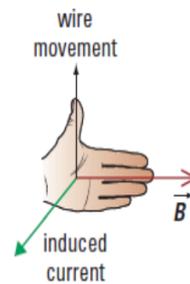
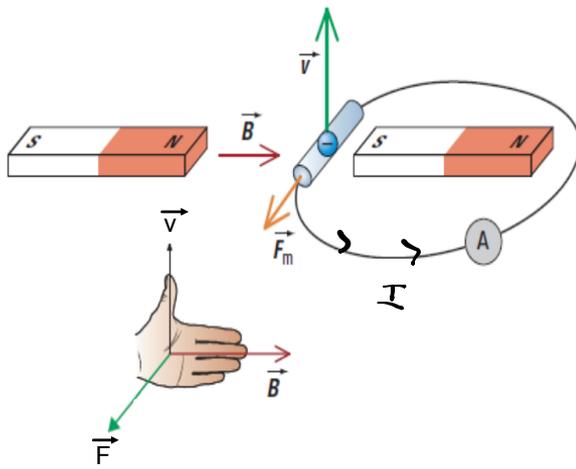


# Generator Diagram

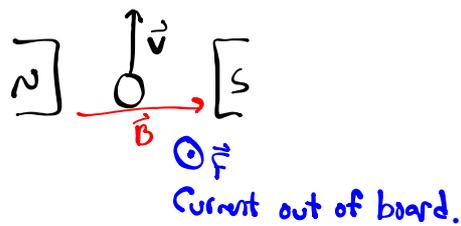
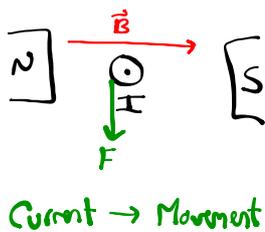
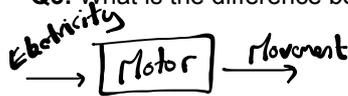
DEMO



Q2: Using the Motor Effect, what is the direction of the current induced?

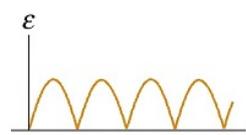
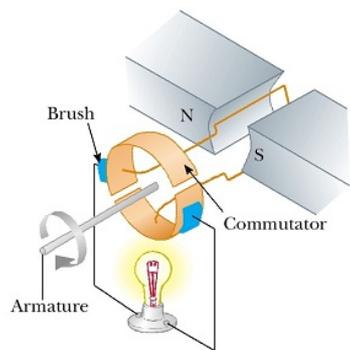
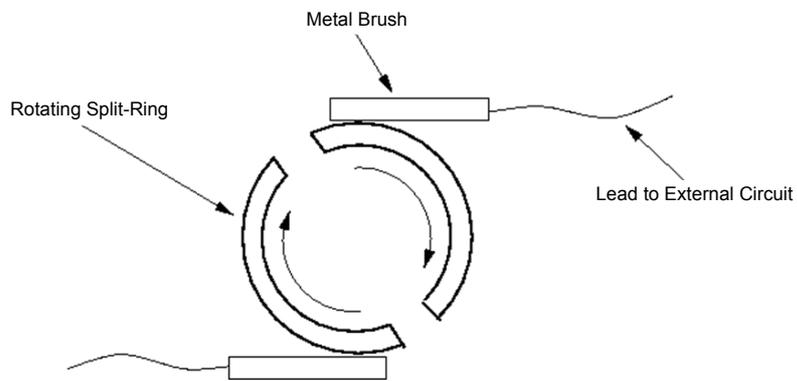
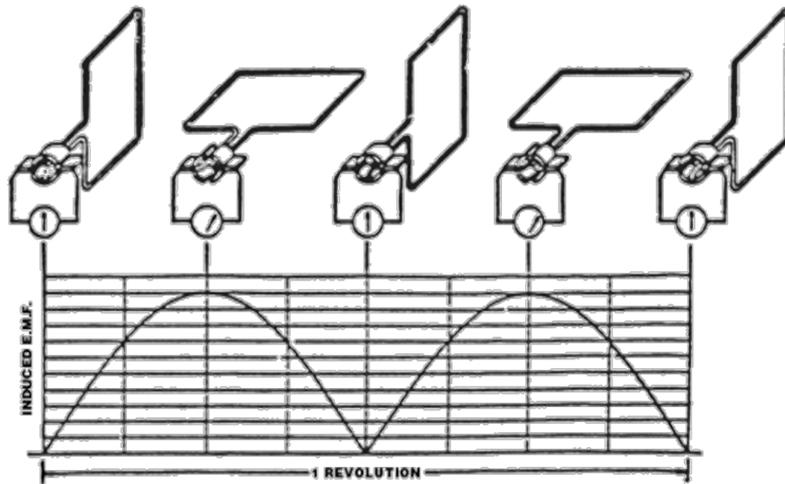


Q3: What is the difference between the Motor Effect and the Generator Effect?



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AC and DC Generators



(a)

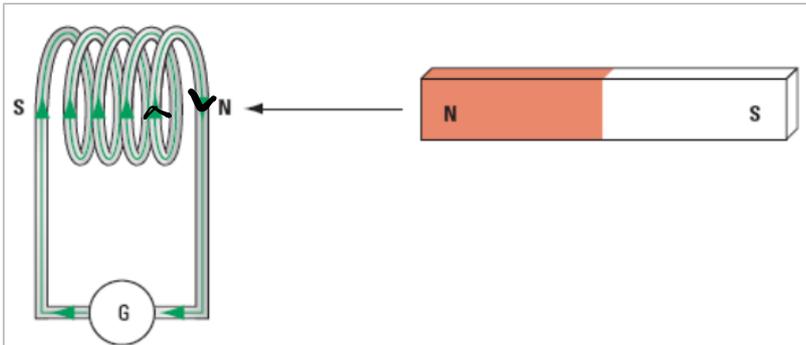
(b)

**Figure 31.21** (a) Schematic diagram of a dc generator. (b) The magnitude of the emf varies in time but the polarity never changes.

# Lenz's Law

DEMO

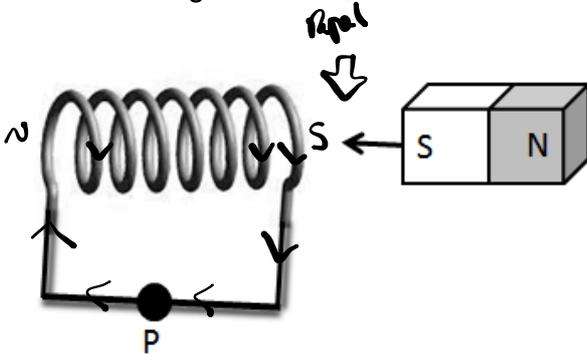
**Lenz's law:** In a solenoid, a current will be produced that opposes the motion of the magnet



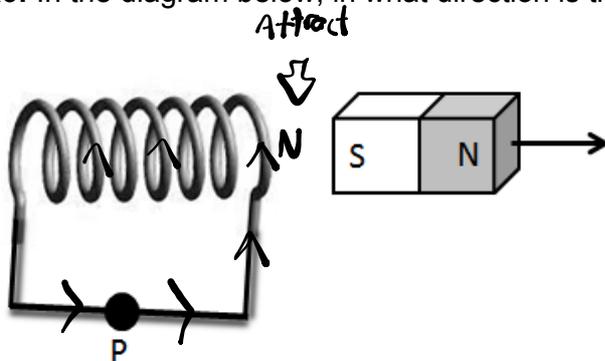
Q4: Why is the motion of the magnet opposed?

*Cannot gain unlimited free energy!*

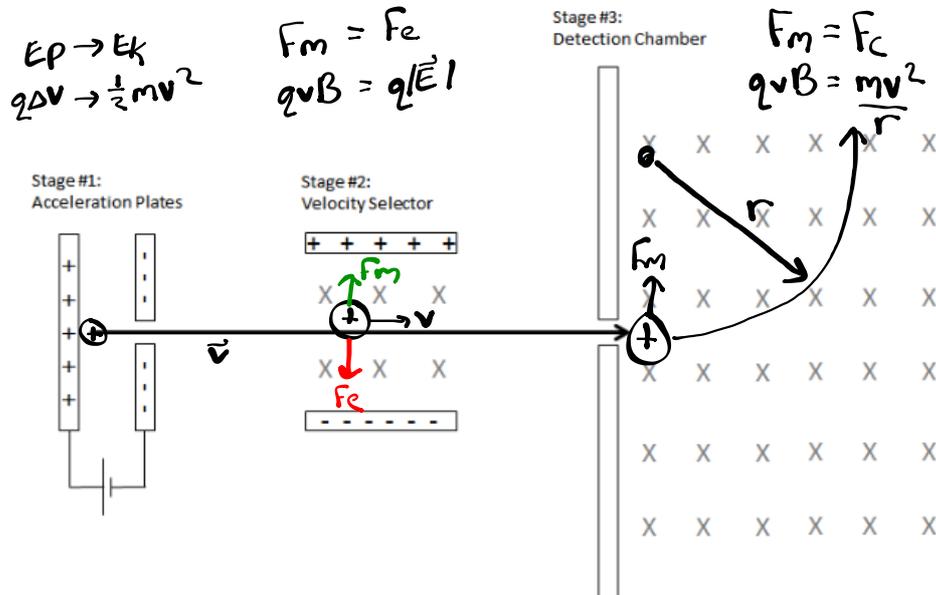
Q5: In the diagram below, in what direction is the current travelling at Point P?



Q6: In the diagram below, in what direction is the current travelling at Point P?



# Mass Spectrometer



## Stage #1: Acceleration Plates

- Concept: Potential energy transforms to kinetic energy.
- Strategy: Set  $E_p = E_k$ .
- Equations:  $\Delta V = \frac{\Delta E_p}{q}$  and  $E_k = \frac{1}{2}mv^2$
- Set-up:  $q\Delta V = \frac{1}{2}mv^2$  and solve for  $v$ .

## Step #2: Velocity Selector

- Concept: Particles with the correct speed can make it through undeflected. All other speeds are deflected and don't make it into the detection chamber.
- Strategy: Set  $F_{\text{magnetic}} = F_{\text{electrostatic}}$ .
- Equations:  $|\vec{F}_m| = qv|\vec{B}|$  and  $\vec{E} = \frac{\vec{F}_e}{q}$
- Set-up:  $qv|\vec{B}| = q|\vec{E}|$  and solve for  $v$ .

## Step #3: Detection Chamber

- Concept: Unbalanced  $F_{\text{magnetic}}$  acts as centripetal force and causes circular motion.
- Strategy: Set  $F_{\text{magnetic}} = F_{\text{centripetal}}$
- Equations:  $|\vec{F}_m| = qv|\vec{B}|$  and  $|\vec{a}_c| = \frac{v^2}{r}$ , with  $|\vec{F}_c| = \frac{mv^2}{r}$  being implied.
- Set-up:  $qv|\vec{B}| = \frac{mv^2}{r}$  and solve for the unknown variable.